

Growth Options, Incentives, and Pay-for-Performance: Theory and Evidence

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How do growth opportunities affect managerial incentives?

- ▶ Manager effort increases productivity of assets in place and future assets.
 - ▶ Leads to interaction between growth opportunities and incentives.
- ▶ We find evidence that larger growth opportunities are associated with lower incentives as measured by exposure to firm value.
- ▶ Growth options generate convexity of firm value in productivity.
- ▶ We show that optimal incentives should account for the convexity of firm value.
- ▶ In particular, low sensitivity of pay to firm value does not mean low-powered incentives.

Real options investment

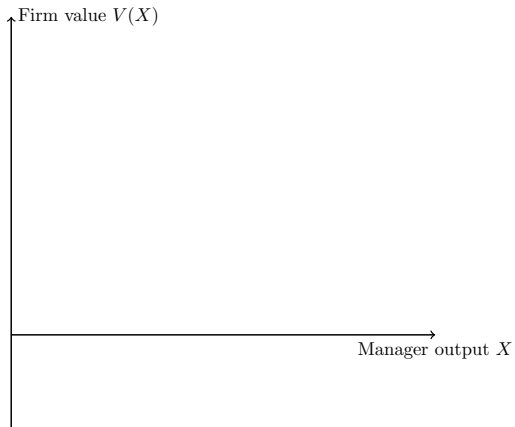
Real options approach is a useful investment model to capture the idea of growth opportunities.

- ▶ When cash flows per capital (or productivity) are sufficiently high, firms invest.
- ▶ Optimal investment policy given by a *threshold* at which investment option is exercised.
- ▶ Firm value comprises of the value of assets in place plus the value of growth options.

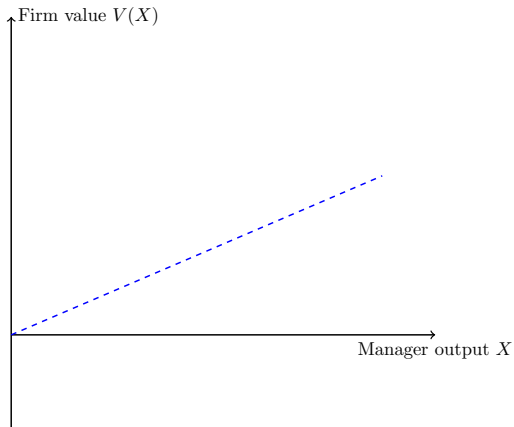
Agency conflicts affect real options

- ▶ In the standard model, firm cash flows/productivity are exogenous.
- ▶ In reality, a manager is required to increase and maintain productivity.
- ▶ If effort is unobservable, a moral hazard problem arises.

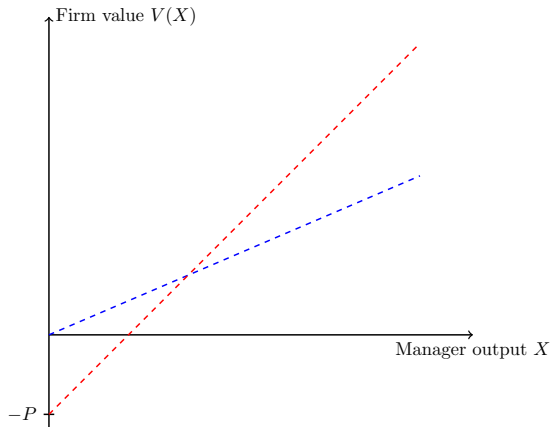
Basic intuition



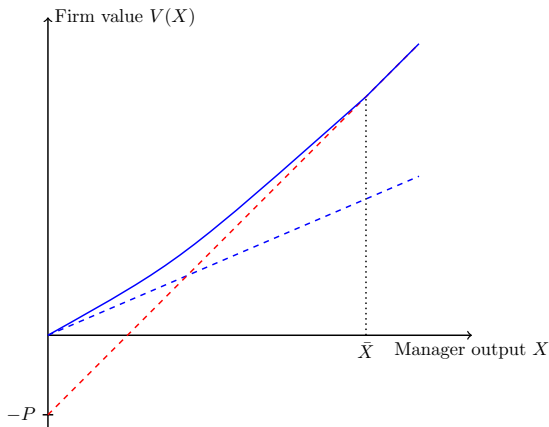
Basic intuition



Basic intuition



Basic intuition



To provide *the same* incentives to generate manager output, less exposure is needed to firm value with growth options.

Literature review

- ▶ Dynamic contracting in continuous time
 - ▶ DeMarzo and Sannikov (2006), Biais, Mariotti, Plantin, and Rochet (2007), Sannikov (2008), DeMarzo, Fishman, He, and Wang (2012)
 - ▶ He (2011), Gryglewicz and Hartman-Glaser (2015)
- ▶ Agency problems and investment
 - ▶ Grenadier and Wang (2005), DeMarzo and Fishman (2007), DeMarzo, Fishman, He, and Wang (2012)
 - ▶ Gryglewicz and Hartman-Glaser (2015)

Model overview

- ▶ Continuous time dynamic moral-hazard model a la Sannikov (2008) and He (2011).
 - ▶ A risk-neutral investor owns a firm and contracts with a manager to run the firm.
 - ▶ The manager controls growth rate of cash flows through costly hidden effort.
- ▶ Classic real-options problem a la Brennan and Schwartz (1985).
 - ▶ The firm starts with some capital.
 - ▶ The investor has a one-time option to irreversibly increase capital by a fixed amount.

Dynamic moral hazard

- ▶ Time is infinite and continuous and the risk free rate is r .
- ▶ A risk-neutral investor (the principal) hires a risk-averse manager (the agent) to operate a firm.
- ▶ The firm produces cash flow $X_t K_t dt$, where X_t is productivity and K_t is capital.
- ▶ Prior to investment, X_t is given by

$$dX_t = a_t \mu X_t dt + \sigma X_t dZ_t,$$

where $a_t \in [0, 1]$ is the manager's effort, Z_t is standard Brownian motion.

- ▶ After investment at time τ , productivity stays at X_τ forever.
- ▶ Effort is unobservable to the investor and costly to the manager.
- ▶ The manager may maintain hidden savings (or debt) at the risk-free rate.

Real option to invest

- ▶ The firm begins with capital $K_0 = k_s$.
- ▶ At any time, the firm can irreversibly increase capital to $k_b > k_s$ at cost P .
- ▶ Investment is observable and contractable.
- ▶ The investor always has sufficient funds to pay the cost of investment.

The manager's preferences

- ▶ The manager has CARA preferences over consumption and effort:

$$u(c_t, a_t) = -\frac{1}{\gamma} e^{-\gamma(c_t - g(a_t)X_t)},$$

where $g(a_t)$ is the managers normalized cost of effort in units of consumption.

- ▶ $g(a)$ a smooth increasing convex function such that an optimal contract will specify interior effort in $(0, 1)$.
- ▶ Why is the cost of effort proportional to productivity?
 - ▶ It is more difficult and costly for the manager to improve productivity of an already productive firm.

Contracts

- ▶ A contract is denoted by $\Pi(\{c_t, a_t\}, \tau)$.
- ▶ c_t is the manager's time t recommended consumption (with no savings, it is equal to compensation).
- ▶ a_t is the recommended effort level.
- ▶ τ is a stopping time specifying the timing of investment, contractable and observable.

Deriving the optimal contracts

1. Restrict attention to incentive-compatible no-savings contracts.
2. Find simple condition relating manager's flow utility to her continuation utility imposed by no-savings restriction.
3. Given a contract, characterize the dynamics of the manager's continuation value W_t .
4. Find an incentive-compatibility condition.
5. Using dynamic programming technique to derive HJB equations for the investor's value.
6. The HJB equation simplifies to an ODE for total firm value (investor's value + CE of manager's value) in X only.

The HJB equation

- ▶ $V(X)$ satisfies the following HJB equation:

$$rV = \max_{a \in [0,1]} \left\{ Xk_s - g(a)X - \rho(a, X) + a\mu XV' + \frac{1}{2}\sigma^2 X^2 V'' \right\}.$$

- ▶ ρ is the incentive cost of effort:

$$\rho(a, X) = \frac{1}{2}\gamma r\sigma^2 \left(\frac{g'(a)}{\mu} \right)^2 X^2.$$

- ▶ Value function after investment equals $(X_\tau k_b)/r$.

The optimal investment time

- ▶ Optimal investment time given by standard threshold rule

$$\tau = \inf\{t, X_t \geq \bar{X}\}.$$

- ▶ \bar{X} is determined by value-matching and smooth-pasting conditions:

$$V(\bar{X}) = \frac{\bar{X}k_b}{r} - P,$$

$$V'(\bar{X}) = \frac{k_b}{r}.$$

Pay-performance sensitivity (PPS)

- ▶ The certainty equivalent of the manager's value, Y_t , can be interpreted as the manager's dollar value.
- ▶ The sensitivity of Y_t to the changes of a performance metric is a measure of the manager's incentives in our model.

Two measures of PPS

- ▶ Output based: sensitivity of manager's continuation value to productivity shocks

$$\beta_t = \frac{g'(a_t)}{\mu}.$$

- ▶ Directly measures managers incentives to exert effort.
 - ▶ Can be difficult to measure empirically.
- ▶ Value based: sensitivity of manager's continuation value to dollar changes in firm value:

$$\phi_t = \frac{\beta_t}{V'(X_t)}.$$

- ▶ Corresponds to Jensen and Murphy (1990)'s measure of PPS.
 - ▶ Scales incentives by sensitivity of firm value to productivity.
 - ▶ Easy to measure empirically and easy to implement.

Incentives and growth options

Keeping everything else constant, an increase in post-investment capital k_b makes the growth option larger and more valuable.

Proposition

*Output-based incentives for the manager always increase in k_b .
Value-based incentives decrease in k_b if the cost of effort is increasingly convex, $g'''(a) > 0$.*

- ▶ Optimal effort increases in the size of the growth option, incentives β_t must also increase.
- ▶ Increasing the growth option also increases $V'(X)$, the sensitivity of firm value to productivity — makes the firm more “risky”.
- ▶ The manager does not need exposure to this additional risk for incentives and value-based PPS ϕ_t can decrease if managerial effort is not too cheap.

Empirical strategy

- ▶ Measuring output-based PPS is a daunting task as manager output is not observable.
- ▶ We aim at analyzing the association of value-based PPS and growth options.
- ▶ PPS: Standard Jensen and Murphy (1990)'s PPS.
- ▶ Growth options: a number of proxies.

Data

- ▶ U.S. public firms in 1992-2010.
- ▶ Executive-firm observations from Execucomp.
- ▶ Other data from CRSP/Compustat.

- ▶ Dependent variable: log of dollar-to-dollar Jensen and Murphy (1990)'s PPS.
- ▶ Independent variables: Firm Size, Firm Age, Tangibility, Profitability, Advertisement, Leverage, Dividend Paying, CEO Chair, Fraction of Inside Directors, CEO, Female (all lagged one year).

Market-to-Book proxy

| | (1) | (2) | (3) |
|-----------------------|----------------------|----------------------|----------------------|
| Market-to-Book | -0.055** (-7.23) | -0.060** (-5.88) | -0.037** (-6.28) |
| Firm Size | -0.406** (-46.36) | -0.361** (-32.57) | -0.327** (-16.79) |
| Controls | <i>No</i> | <i>Yes</i> | <i>Yes</i> |
| Industry FE | <i>Yes</i> | <i>Yes</i> | <i>No</i> |
| Firm-Manager FE | <i>No</i> | <i>No</i> | <i>Yes</i> |
| Year FE | <i>Yes</i> | <i>Yes</i> | <i>Yes</i> |
| Observations | 128974 | 70260 | 70269 |
| R^2 | 0.276 | 0.496 | 0.126 |

t statistics in parentheses

* $p < 0.05$, ** $p < 0.01$

Value-to-Book proxy

- ▶ Market-to-Book can proxy for (mis)valuation of stock.
- ▶ Following Rhodes-Kropf, Robinson, and Viswanathan (2005) and Lyandres and Zhdanov (2013) we replace Market by estimated “true” Value.
- ▶ Estimate of Value-to-Book is a size adjusted industry-year mean Market-to-Book ratio.

Value-to-book proxy

| | (1) | (2) | (3) |
|----------------------|----------------------|----------------------|----------------------|
| Value-to-Book | -0.052* (-2.24) | -0.070** (-2.59) | -0.029* (-1.99) |
| Firm Size | -0.403** (-45.46) | -0.365** (-32.72) | -0.312** (-16.04) |
| Controls | <i>No</i> | <i>Yes</i> | <i>Yes</i> |
| Industry FE | <i>Yes</i> | <i>Yes</i> | <i>No</i> |
| Firm-Manager FE | <i>No</i> | <i>No</i> | <i>Yes</i> |
| Year FE | <i>Yes</i> | <i>Yes</i> | <i>Yes</i> |
| Observations | 128995 | 70275 | 70284 |
| R^2 | 0.274 | 0.495 | 0.124 |

t statistics in parentheses

* $p < 0.05$, ** $p < 0.01$

R&D proxy

| | (1) | (2) | (3) |
|-----------------|------------|------------|------------|
| R&D | -0.557* | -0.824** | -0.562* |
| | (-2.49) | (-2.67) | (-2.03) |
| Firm Size | -0.429** | -0.401** | -0.308** |
| | (-41.04) | (-30.48) | (-11.85) |
| Controls | <i>No</i> | <i>Yes</i> | <i>Yes</i> |
| Industry FE | <i>Yes</i> | <i>Yes</i> | <i>No</i> |
| Firm-Manager FE | <i>No</i> | <i>No</i> | <i>Yes</i> |
| Year FE | <i>Yes</i> | <i>Yes</i> | <i>Yes</i> |
| Observations | 67180 | 38125 | 38129 |
| R^2 | 0.277 | 0.527 | 0.121 |

t statistics in parentheses

* $p < 0.05$, ** $p < 0.01$

Exercise of Growth Options proxies

- ▶ Following Purnanandam and Rajan (2016), we use variables related to (unexpected) capital expenditures to proxy conversion of growth options into assets in place.
- ▶ First, use CapEx, in particular with firm fixed effect.
- ▶ Second, use residual from a first-order regression on CapEx.

Capital Expenditure proxy

| | (1) | (2) | (3) |
|-----------------|------------|------------|------------|
| CapEx | 0.470* | 1.622** | 0.391** |
| | (1.99) | (5.04) | (2.68) |
| Firm Size | -0.396** | -0.359** | -0.310** |
| | (-44.23) | (-31.73) | (-15.32) |
| Controls | <i>No</i> | <i>Yes</i> | <i>Yes</i> |
| Industry FE | <i>Yes</i> | <i>Yes</i> | <i>No</i> |
| Firm-Manager FE | <i>No</i> | <i>No</i> | <i>Yes</i> |
| Year FE | <i>Yes</i> | <i>Yes</i> | <i>Yes</i> |
| Observations | 122522 | 67241 | 67250 |
| R^2 | 0.277 | 0.499 | 0.124 |

t statistics in parentheses

* $p < 0.05$, ** $p < 0.01$

Capital Expenditure Residual proxy

| | (1) | (2) | (3) |
|-----------------------|----------------------|----------------------|----------------------|
| CapEx Residual | 0.550 (1.92) | 1.201** (4.03) | 0.258* (2.13) |
| Firm Size | -0.384** (-35.91) | -0.354** (-27.25) | -0.308** (-13.52) |
| Controls | <i>No</i> | <i>Yes</i> | <i>Yes</i> |
| Industry FE | <i>Yes</i> | <i>Yes</i> | <i>No</i> |
| Firm-Manager FE | <i>No</i> | <i>No</i> | <i>Yes</i> |
| Year FE | <i>Yes</i> | <i>Yes</i> | <i>Yes</i> |
| Observations | 69326 | 46206 | 46211 |
| R^2 | 0.273 | 0.511 | 0.124 |

t statistics in parentheses

* $p < 0.05$, ** $p < 0.01$

Conclusion

- ▶ With our model, we interpret the negative correlation of PPS and growth options not as low incentives but as a reflection of efficient incentives with a sensitive exposure to firm value.
- ▶ It is easier to incentivize a manager by exposing her to firm value in a firm with growth options.
- ▶ Even accounting for higher required manager effort, the optimal exposure to firm value can decrease in the size of growth options.
- ▶ Pay-performance sensitivity measures should account for growth opportunities.